



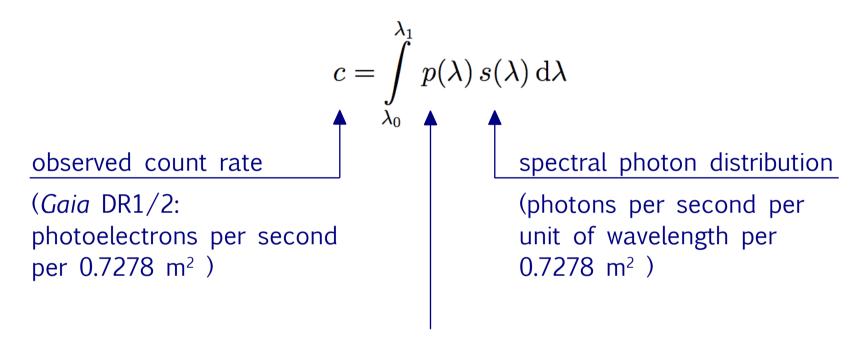


Passband reconstruction and Revised Gaia Data Release 2 passbands

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Reconstructing passbands: Definitions

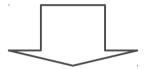


passband (photoelectrons per photon as a function of wavelength)

Reconstructing passbands: The problem

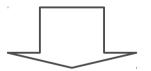
Reconstruction of a passband:

From a set of N sources with spectral photon distributions (SPDs) and count rates given, find passband.



System of N equations to be solved for $p(\lambda)$:

$$c_i = \int_{\lambda_0}^{\lambda_1} p(\lambda) s_i(\lambda) d\lambda , \quad i = 1, \dots, N$$



Approach:

Make use of square integrability of all involved functions on $I = [\lambda_0, \lambda_1]$ and make it vector calculus

Reconstructing passbands: The method

Develop SPDs in basis:

$$s_i(\lambda) = \sum_{j=1}^{\infty} b_{ij} \, \psi_j(\lambda)$$
 basis vectors

which is orthonormal:
$$\int\limits_{\lambda_0}^{\lambda_1} \psi_k(\lambda) \cdot \psi_l(\lambda) \, \mathrm{d}\lambda = \langle \, \psi_k \, | \, \psi_l \, \rangle = \delta_{kl}$$
 scalar product

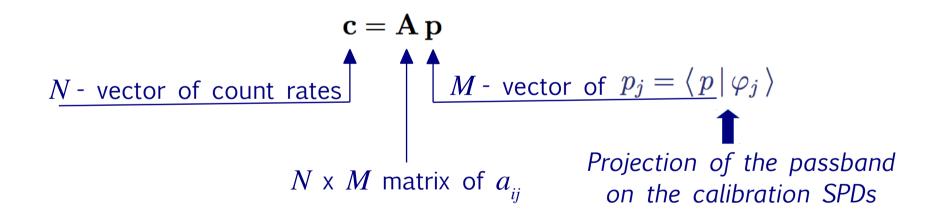
For N sources, with properly chosen basis vectors, this becomes

$$s_i(\lambda) = \sum_{j=1}^{M} a_{ij} \varphi_j(\lambda), \quad 1 \le M \le N$$

Suitable basis functions $\varphi_j(\lambda)$ can be constructed using functional principal component analysis.

Reconstructing passbands: The method

$$c_i = \int_{\lambda_0}^{\lambda_1} p(\lambda) \, s_i(\lambda) \, \mathrm{d}\lambda \;, \quad i = 1, \dots, N$$
 $s_i(\lambda) = \sum_{j=1}^M a_{ij} \, \varphi_j(\lambda) \;, \quad 1 \leq M \leq N$



"parallel component" of the passband:
$$p_{\parallel}(\lambda) = \sum_{j=1}^{M} p_j \, \varphi_j(\lambda)$$

Reconstructing passbands: General results

A freedom remains in the passband:

Any function $p_{\perp}(\lambda)$ such that $\langle p_{\perp} | s_i \rangle = 0$, $i = 1, \ldots, N$ can be added

Passband is the sum of two functions:

$$p(\lambda) = p_{\parallel}(\lambda) + p_{\perp}(\lambda)$$

With $p_{\parallel}(\lambda)$ determined by calibration sources and with

$$\langle p_{\parallel} | p_{\perp} \rangle = 0$$

The "orthogonal component" of the passband $p_{\perp}(\lambda)$ is unconstrained by the calibration sources and needs to be guessed.

combination of the calibration spectra

Passband is only constrained on space spanned by the calibration spectra

Reliable synthetic photometry only for spectra which are a linear

Reconstructing passbands: Advanced guessing

Guessing the orthogonal component:

Take guess $p_{ini}(\lambda)$ based on expectations (simulated/lab measurements of quantum efficiencies, mirror reflectance,...)

and modify it:
$$p(\lambda) = \left(\sum_{k=0}^{K-1} \alpha_k \, \phi_k(\lambda)\right) \cdot p_{ini}(\lambda)$$

fixing
$$p_{\parallel}(\lambda)$$
:
$$p_j = \left\langle \left(\sum_{k=0}^{K-1} \alpha_k \, \phi_k(\lambda) \right) \cdot p_{ini}(\lambda) \, \middle| \, \varphi_j \, \right\rangle \,, \quad j = 1, \ldots, M$$

provides linear system: $\mathbf{p} = \mathbf{M} \, \boldsymbol{\alpha} - K$ coefficients for modification

M - vector solution

 $oxed{ M imes K ext{ matrix with } M_{j,k} = \langle \, \phi_k \cdot p_{ini} \, | \, arphi_j \,
angle }$

Reconstructing passbands: What remains

Find a modification of p_{ini} such that p is

- \triangleright bound to [0,1]
- > sufficiently smooth
- > reproduces colour-colour relationships
- ▶ has a "reasonable" shape

Suitable modification models:

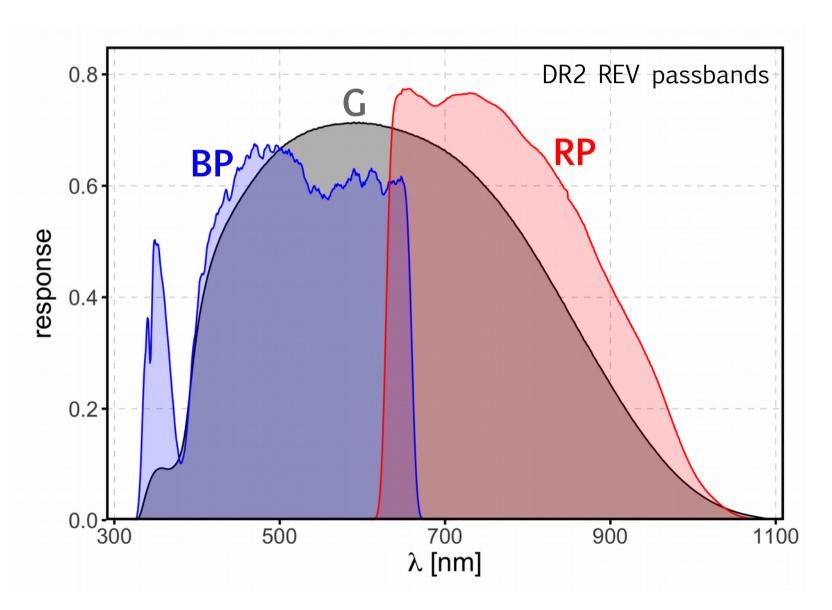
- \triangleright for small M, polynomials worked out (Hipparcos, Tycho, *Gaia* DR1)
- cubic B-splines plus constant function worked out for Gaia DR2

Further refinements:

- \triangleright allow for small variations in \mathbf{p} within formal confidence region
- \triangleright make $K \triangleright M$ to introduce free parameters in p

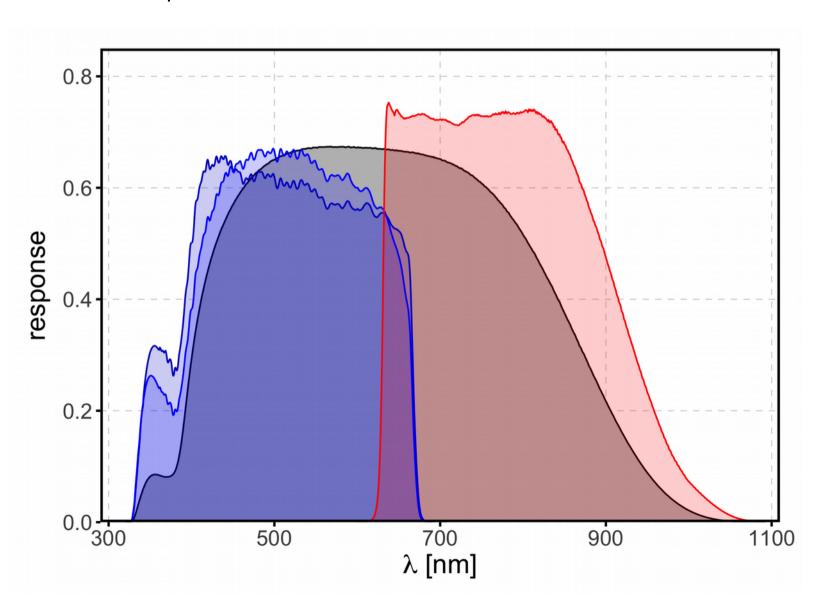
Gaia DR2 passbands: REV set

Set of passbands for G, BP, and RP provided with DR2 (Evans et al. 2018):

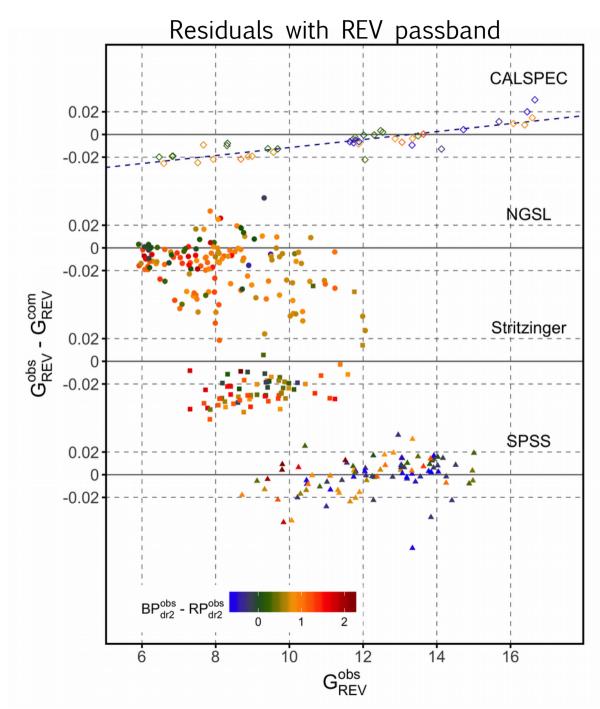


Gaia DR2 passbands: A new set

Alternative set of passbands for G, BP, and RP (Weiler 2018):



Gaia DR2 passbands: G

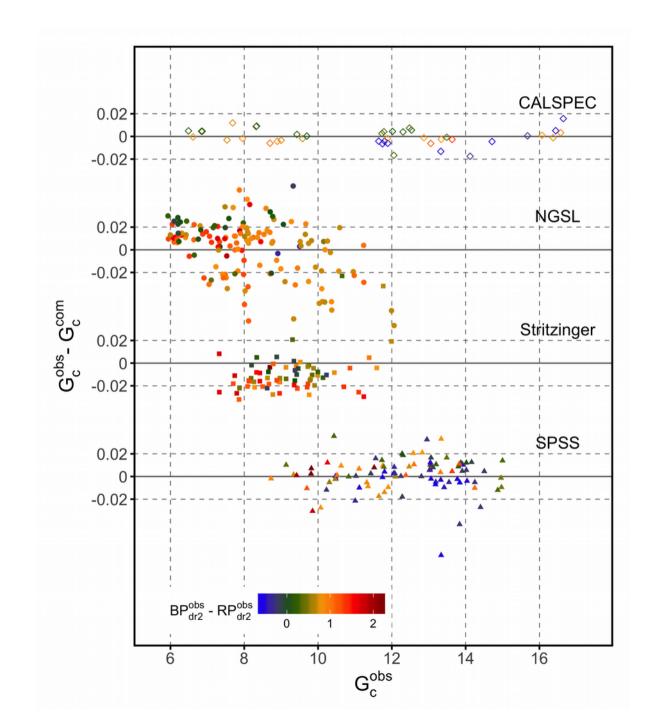


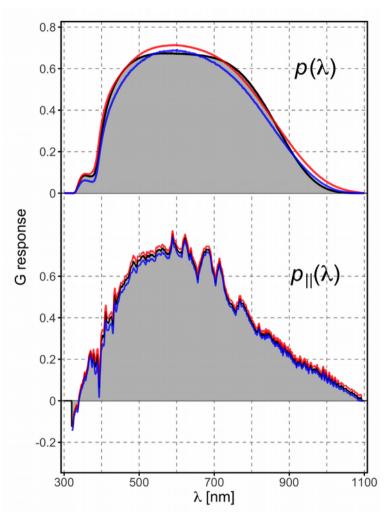
Trend with magnitude (cf. Evans et al. 2018, Arenou et al. 2018)

~ 3.5 mmag/mag - remove:

$$G_c = -0.9965 \cdot 2.5 \cdot \log_{10}(I_G) + zp$$

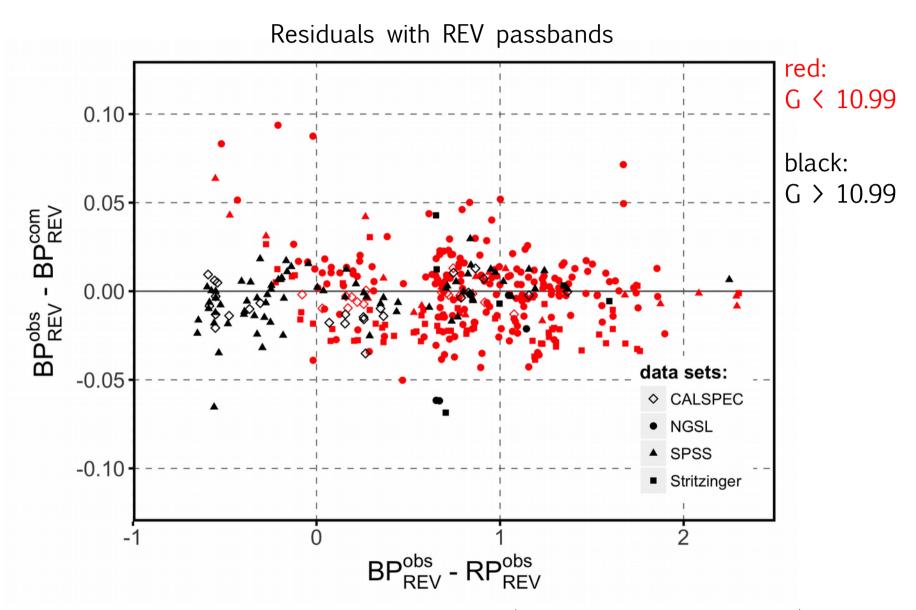
Gaia DR2 passbands: G





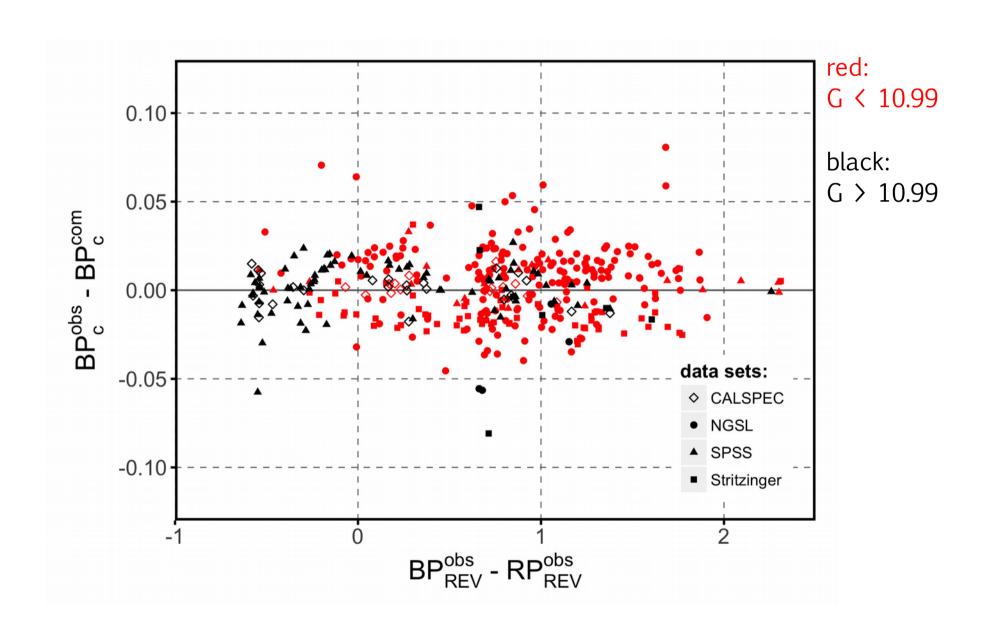
G passband essentially in agreement with pre-launch expectations.

Gaia DR2 passbands: BP

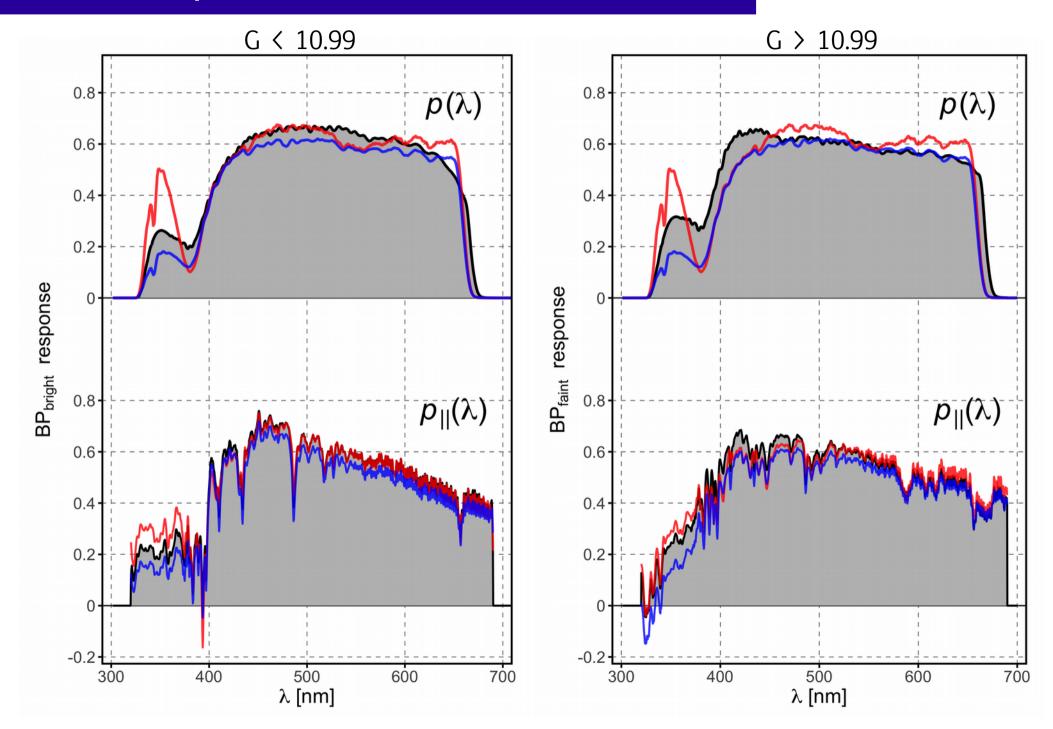


- > Branching for blue sources at G ~ 10.99 (cf. Arenou et al. 2018)
 - Deriving 2 passbands, for G < 10.99 and G > 10.99

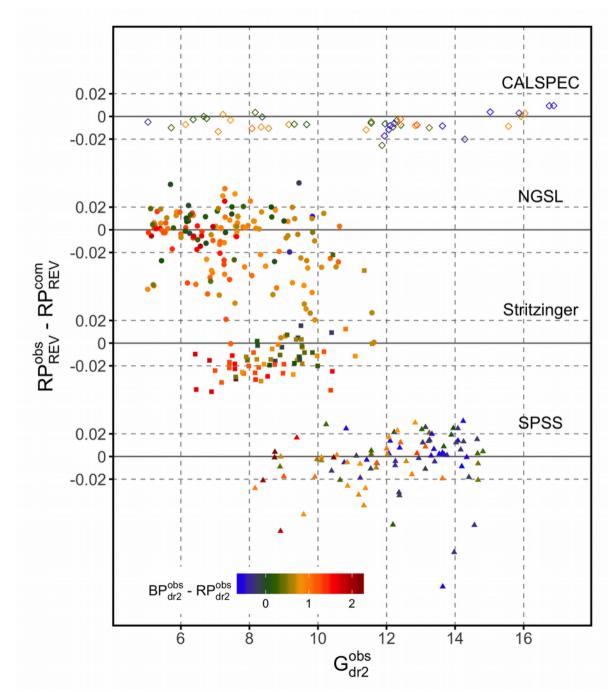
Gaia DR2 passbands: BP



Gaia DR2 passbands: BP

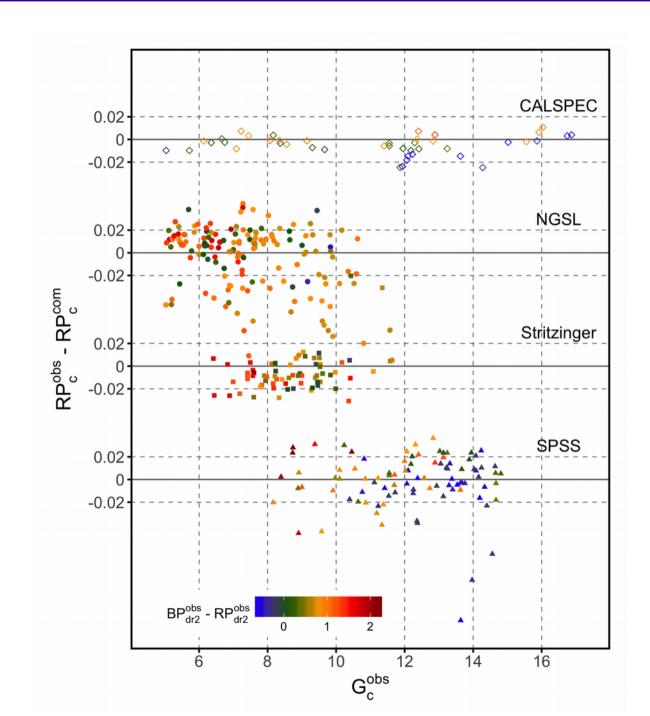


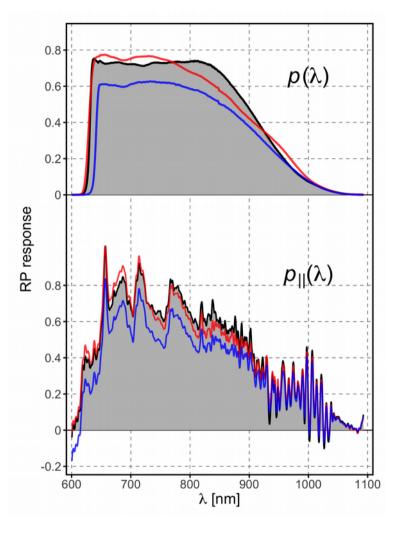
Gaia DR2 passbands: RP



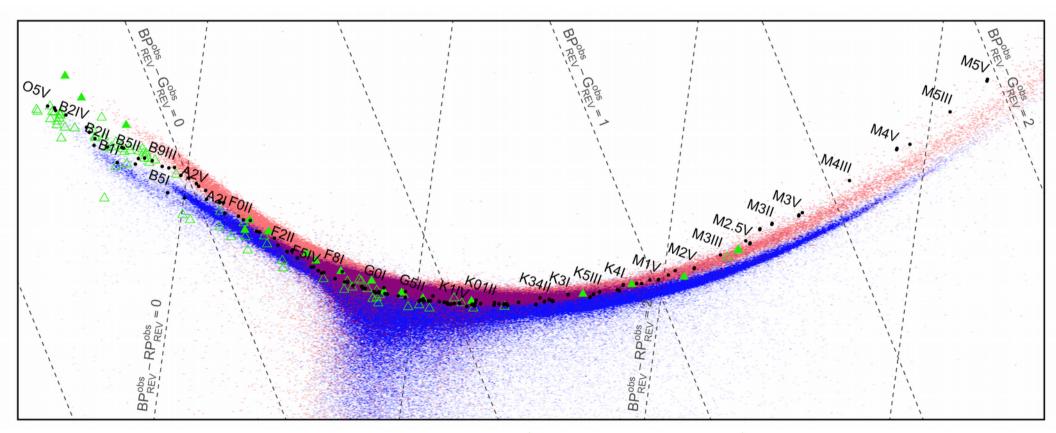
Slight tendency for red sources (in particular SPSS and Stritzinger)

Gaia DR2 passbands: RP





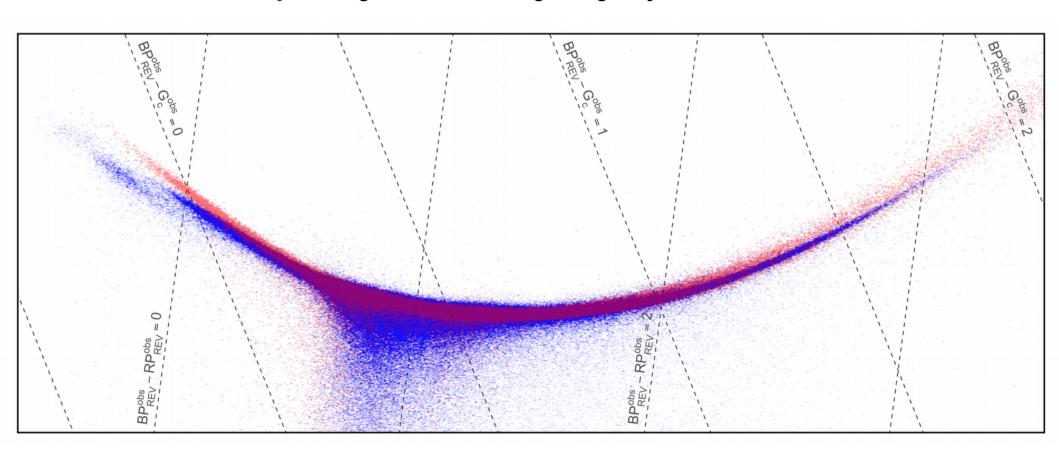
BP-RP vs. BP-G for $|b| > 30^{\circ}$, BP < 17, RP < 17 REV passband



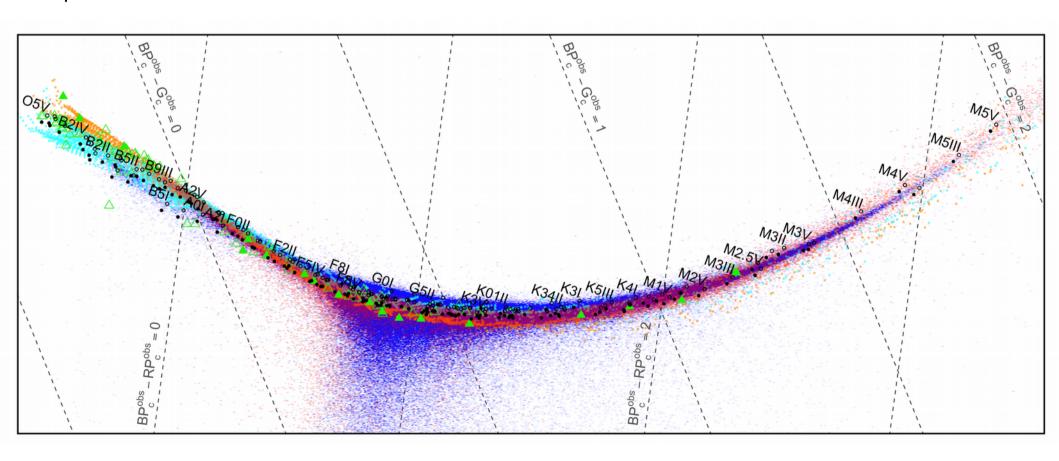
Red: G < 10.99 Green triangles: SPSS (calibration spectra)

Blue: G > 10.99 black dots: Pickles spectra

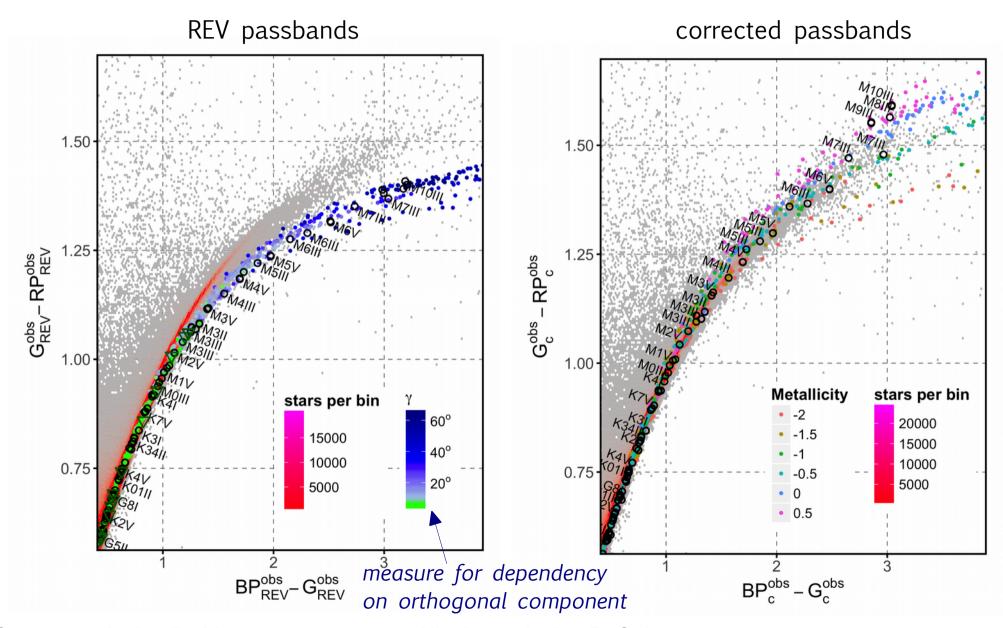
BP-RP vs. BP-G for $|b| > 30^{\circ}$, BP >17, RP > 17 G corrected (essentially taking out 3.5 mmag/mag drift)



BP-RP vs. BP-G for $|b| > 30^{\circ}$, BP >17, RP > 17 All passbands corrected (Weiler 2018)



BP-G vs. G-RP for $|b| > 30^{\circ}$, BP < 17, RP < 17



Open symbols: Pickles spectra

filled symbols: BaSeL spectra

Summary

- > Passbands are not uniquely defined by photometry of calibration spectra
- Reliable synthetic photometry is only possible for spectra that are a linear combination of the calibration spectra
- > Gaia DR2 photometry shows systematic effects (3.5 mmag/mag drift in G, inconsistency in BP at G \sim 10.99 mag
- Official Gaia DR2 passbands are not optimal: Improved passbands available

For more information see:

- Weiler et al. (2018), A&A, Forthcoming article (on principles of passband reconstruction) https://arxiv.org/abs/1802.01667
- Weiler (2018), A&A, submitted article (on Gaia DR2 passbands) https://arxiv.org/abs/1805.08082